

Communicating and Connecting What We Know About Rates of Change:
Average and Instantaneous

Symbolic & Verbal	Graph																								
<p>A fruit fly population is given by the function</p> $p(t) = \frac{344}{1 + 154 \cdot e^{(-.208t)}}$ <p>where t represents the time in days and $p(t)$ represents the number of fruit flies.</p>																									
Table	Analysis																								
<table border="1" data-bbox="245 1144 662 1845"> <thead> <tr> <th>t</th> <th>$p(t)$</th> </tr> </thead> <tbody> <tr><td>0</td><td></td></tr> <tr><td>5</td><td></td></tr> <tr><td>10</td><td></td></tr> <tr><td>15</td><td></td></tr> <tr><td>20</td><td></td></tr> <tr><td>25</td><td></td></tr> <tr><td>30</td><td></td></tr> <tr><td>35</td><td></td></tr> <tr><td>40</td><td></td></tr> <tr><td>45</td><td></td></tr> <tr><td>50</td><td></td></tr> </tbody> </table>	t	$p(t)$	0		5		10		15		20		25		30		35		40		45		50		<ol style="list-style-type: none"> Determine the average rate of change of $p(t)$ over the interval $[20, 50]$. Please include units. Determine the instantaneous rate of change of $p(t)$ at $t = 30$. Please include units. At approximately what time is the population of fruit flies growing most rapidly? Determine $\lim_{t \rightarrow \infty} (p(t))$
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